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# By Using Simulation Technique Determining the Effects of Manual Doffing Process on the Machine Efficiency and Profitability of the Spinning Mills 

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#### Abstract

The doffing process defined as the removal of full spinning tubes by stopping the ring spinning machine and replacing it with the new ones, is one of the essential ring spinning processes. Although this process can be done automatically by specialized ring machines, even today it is still done manually in many cotton ring mills established at some important ring yarn producer countries such as India, Pakistan, and Turkey to avoid the cost of automatic doffing equipment. However, the manual doffing process can lead to quite a lot of yarn breaks affecting machine efficiency and production significantly. Here, we examined how and to what extent unwanted breaks affect the machine efficiency by using a simulation technique and performing economic analysis taking into account certain parameters of efficiency. Our data show that increased lambda values with the same doffing process breaks result in higher production and profit losses. We suggest that the decision on doffing automation should be made using break-even analysis projecting both cost of doffing breaks and automation.


Keywords: Multi machine assignment, machine interference, doffing, ring spinning machine efficiency, spinning and simulation

## 1. Introduction:

A business should be able to estimate machine efficiency for various different circumstances. However, assessment of the efficiencies of machines either analytically or utilizing other methodologies excluding simulation technique is not easy due to machine interference problem. This problem encountered in industries including textile spinning and weaving industries stems mainly from multi-spindles or multiple machine assignments per operator.

Machine interference can be described as "consider the simple system consisting of $n$ machines and $r$ workers. Each machine
operates for a period of time until it breaks or otherwise requires attention, at which point it is sent to the service facility. A worker there spends a period of time servicing the machine and then returns it to operation. If there are more machines than workers, $\mathrm{n}>r$, it will occasionally happen that all workers are already busy when another machine needs service. Thus, this system is a simple example of what is referred to as the "machine interference problem or alternatively as the machine repairman problem" (Haque and Armstrong, 2007). Considerable literature exists on machine interference problems.

For a comprehensive review of literature, one can refer to the paper of Haque and Armstrong (2007) and the paper of Steck and Aranson (1985).

In general, the methods for machine efficiency estimation involving machine interference issues consist of a) formulas or tables, b) queuing theory or model approach, and c) simulation.
Due to the yarn breaks occurring in spinning machines at random, and the assignment of spindles to one operator is very high, simulation technique has been used to determine the efficiency of spindle or machines. The program used for this purpose was written by the author and the basic algorithm of that is given in (Engin, 2008 and 2009).

## 2. Materials and Methods

### 2.1 The spinning Process

Spinning is the process of creating a yarn (or thread, robe, cable) from various raw materials. Ring spinning machines are used in the textile industry to simultaneously twist staple fibers into yarn and then wind it onto a bobbin for storage. Yarn can be made of staple (short) fibers by any one of several techniques. The development of short fibers, or staple, into yarn, when stated in terms of basic manufacturing processes, is as follows: carding, combing, drafting, twisting, and winding. As the fibers pass through these processes, they are successively formed into lap, sliver, roving, and finally yarn (Corbman, 1983).

The three major processes for converting stable fiber to yarn are ring spinning, open-end spinning, and air-jet spinning. Ring spinning is the oldest of process and the one that currently is used to convert the greatest quantity of fiber to yarn. Ring-spun yarns might be cotton, wool, flax, staple length manufactured fibers, or blends of these fibers. They are available in the widest range of sizes and are found in every application in which spun yarns are used, including most apparel items, carpet face
pile, carpet backing, upholstery, drapery and curtain fabrics, tents, and awnings (Hatch, 1993).

A bundle of parallel fibers (the roving) is fed to the attenuating or drafting zone. The difference in surface velocity of the front (faster) and back (slower) drafting rollers will attenuate the roving to a thinner strand of parallel fibers, under the control of the double aprons. The thin strand of parallel fibers emerging from the front rollers is then simultaneously twisted and wound onto a yarn package (i.e., cop) mounted on a driven spindle. The twisted thin strand of fibers, now called a yarn, is threaded through a traveler and a yarn guide and balloons out between these two elements during normal spinning. The twisted yarn is then wound onto the bobbin or yarn package (Tang at al., 2006).

Although there are some different spinning systems in the textile industry such as open-end, air jet, etc., in our study we focused on the cotton ring-spinning system as it is the most widely used spinning system in the world.
Before using the factor analysis, the Cronbach's Alpha reliability on the variables has been tested to see if there was a significant association amongst the variables.

### 2.2. The spindle and machine efficiency

In the textile industry, the machine efficiency is defined as a ratio of the actual production of a machine to the theoretical production of this machine for a certain time. This can be expressed by the Formula (1). Since the actual production of a machine is proportional to the running time of this machine, then the machine efficiency can also be described at the same time as shown in the Formula (2).

Spindle efficiency $(\mathrm{E})=\frac{\text { Spindle productive time }(\mathrm{TC}-\mathrm{TS})}{\text { Operator cycle time }(\mathrm{TC})} \cdots \ldots$ (2)
Spindle efficiency $(\mathrm{E})=\frac{\text { Actual production }}{\text { Theoritical production }} \ldots \ldots \ldots \ldots \ldots \ldots(1)$


Figure 1. The illustration of the short term efficiency of spindles or machines which considers only end breaks stoppages time.

The theoretical efficiency of a machine for a certain time period can be described as the efficiency not including loss time due to any kind of stoppages. This means that the machine runs continuously in this period. However, in practice this is not possible as there are many inevitable stoppages such as ends breaks, doffing stoppages, machine maintenance, mechanical, and electrical- electronic failures. On the other hand, the actual efficiency of any machine in a certain time period takes into account all the machine stoppages. The efficiency illustrated by Figure 1 considers only end breaks
stoppages. However, Figure 5 shown in section 2.6 depicts the total machine efficiency for a long-term period containing the short-term machine efficiency also. The $J$ efficiency estimated by means of the simulation program used in this work take into accounts only end break stoppages.

A spinning machine contains many identical spindles. Every spindle of a spinning machine can be considered as a small machine producing yarn. Therefore, the efficiency of a spinning machine will be equal to the efficiency of each spindles of the machine.


Figure 2. A view from ring spinning machines on which the roving bobbins and cops on the spindles are located.

In the case of all the machines are identical from all the point of working parameters, such as machine type and speed, article type and structure, and the care taken by operator and other personnel for all machines, the efficiency of the mill will be equal to the efficiency of each identical machine.

The machine efficiency calculations involving interference issues typically use four main parameters. These are;

1) The average of operator walking times of between machines
2) The average of mending or repairing times of machines by operator
3) The average of machine stoppages
4) The number of machines to be assigned per operator
However, in our work, taking into account the specific nature of the textile industry, we consider the following parameters in the determination of efficiency of spinning machines.
5) The average of operator walking times of between spindles
6) The average and distribution of mending times of ends breaks
7) The average and distribution of end breaks (stoppages)
8) The number of spindles to be assigned per operator


Figure 3. Ring machines and their periodical servicing cycle.
5) The service system of operator (determines which spindle or machine the operator should go to).
Here, operator walking time and ends breaks mending time is related to operator initiatives. However, the number of spindles, the service system of operator, the amount and distributions of ends breaks are under the responsibility of the management. Because end breaks frequency and its distribution depend on yarn material type and quality, count, twist, machine setting, speed and maintenance performance, environmental conditions such as humidity, temperature and vibrations which all falls under the responsibility of the department manager.

Generally, there are two different operator service systems in the textile industry. One of these systems is periodical operator service system and the other one is the random operator service system, which usually is applied in weaving mills.

In spinning mills, generally the periodical operator service system is implemented. Therefore, we consider a unidirectional periodical operator service system in our model due to the fact that it is more applicable in the textile industry. Figure 3 shows periodical operator servicing system and Figure 4 shows cops on the spindles.


Figure 4. Unfilled cops on the spindles

### 2.3. Assumptions used in the model to estimate and analyze machine efficiency

1) The yarn breaks occur to according to a Poisson process with an intensity of occurrences per hour. In other words, the occurrence time of yarn breaks is described by exponential distribution which its mean will be shown with $1 / \lambda$.
2) It is accepted that the operator average walking time of the distance between two spindles which is accepted as 75 mm was observed as 0,000035 hour and the operator mending time yarn breaks was observed as 0,0016 hour (Raja. R. and Rao. K. S. (2007).
3) The possibility of success in mending the all ends breaks is considered to be one hundred percent.
4) In our model, the tying of the broken yarn after the doffing process is done by the machine operator, and the doffers do not help.
5) In our model supposed that the mill considered is working 24 hours continuously.
6) Annual working day is 300 .

### 2.4. Doffing process and its effect on the ring spinning machine efficiencies

The doffing process may be defined the replacement of full spinning tubes (cops) with empty ones which is implemented either by a group of doffing workers manually or by automatic devices. Also doffing performance can be defined as percentage of spindles that are producing after replacing the empty tubes. In this work, we analyze economic results of insufficient doffing performance which is faced in the manual doffing process. To explore the effect of doffing performance we consider five specific cases among the infinite cases to be faced. These are case 1 where the all spindles are productive, that is, no broken ends after completion of the doffing process, case 2 where 95 percent of spindles are productive, case 3 where 90 percent of
spindles are productive, case 4 where 80 percent of spindles are productive and case 5 where 75 percent of spindles are productive. Case 1 is ideal situation but nearly impossible. For the reasons shown below, the ideal situation is moved away and the ideal situation can be approached to the extent that these problems are eliminated.
Some reasons of insufficient doffing processes are;
a. Lack of proper coordination of teams
b. Insufficient number of doffers
c. Lack of motivation of doffers
d. Shortage empty tubes
e. Delay in removal of full bobbins
f. Doffers are not qualified enough
g. Improper piecing of broken yarn during doffing
h. Insufficiently filled cops to start doffing
i. Breakage of yarn during removal of full cops and replacement of empty ones
j. Deformation of cops
k. Lack of machine maintenance (Raja. R. and Rao. K. S. (2007).

### 2.5. The calculation of yarn production

In the spinning industry production for per spindle in the time of one hour is calculated by means of the formula (3) shown below.

$$
\begin{equation*}
\mathrm{G}(\mathrm{~g} / \mathrm{h})=\frac{0,9 \times \mathrm{n}(\mathrm{rpm}) \times \mathrm{EW}(\%)}{\mathrm{Ne} \times \mathrm{T}^{\prime \prime}} . \tag{3}
\end{equation*}
$$

Here :0, 9 is a constant
n : Spindle speed in revolutions per minute
EW (\%) : Spindle or machine efficiency
Ne: English count of yarn
If yarn count is given in Nm
$\mathrm{Ne}=\mathrm{Nm} \times 0,591$
Nm: Metric count of yarn
$\mathrm{Nm}=\mathrm{L}(\mathrm{m}) / \mathrm{G}(\mathrm{g})$
$\mathrm{L}(\mathrm{m})$ : Length of yarn as meter unit
$\mathrm{G}(\mathrm{g})$ : Weight of yarn as gram unit
Tm: Number of round on the one meter of yarn
$\mathrm{T}^{\prime \prime}$ : Number of turns per inch of yarn
$\mathrm{T}_{\mathrm{m}}=\mathrm{T} \times 39,37$
EW (\%): Weighted average efficiency of the spindle which is equal to the efficiency of machine for long time period.

We consider in our study a cotton ring spinning mill running three shifts per day and has 50 machines each with 1200 spindles and produces only 20 Ne count of yarn which has twist of 18,5 tours / inch and 15000 rpm spindle speed. However, this consideration is nearly equivalent to producing different count of yarns which each have different twist of yarn depending on their counts only providing that their weighted average of counts is nearly 20 Ne and their weighted average of twist is nearly 18,5 and their weighted average speed is nearly 15000 rpm .

The production can be calculated for one spindle, one machine, all of machines, any efficiency and any period of time by the formula (3) given above. For example, the production for per hour of per spindle and for $100 \%$ efficiency can be calculated as ( 0 , $9 \times 15000 \times 100) /(20 \times 18,5)=36,486 \mathrm{~g} / \mathrm{h}$.

### 2.6. Removal time of full cops and economic results of doffing performance

The removal time of full bobbins can be calculated as follows. If the maximum weight of the yarn on the cop is accepted as 150 g , then the theoretical filling time will be $150 / 36,486=4,11 \mathrm{~h}$ and the machine efficiency will be 100 percent. However, spindle efficiency will not be 100 percent any time due to various stoppages which have been mentioned before. After the machines run for 4,11 hours, it will be time to remove cops, but less than 150 g of yarn will be wound on the cops, depending on the spindle efficiency (because no yarn is wound on the cops until end breaks repaired although machines is working).

Tables 1, 2 and 3 show the weighted average efficiency values obtained in case of assignment 3600 spindles to one operators, a certain operator walking and end breaks repairing time considering different $\lambda$ values, which also corresponds to one thousandth of end breaks per 1000 spindle
hours in textile terminology. In these tables, $\lambda=0,050, \lambda=0,100, \lambda=0,150$ values correspond to good, poor and worse quality of yarns respectively. These tables indicate that in long term working hours the doffing performance has no important effect on the spindle or machine efficiency. But this is not a realistic situation due to the necessary removal of full cops. For example, it is seen from Table 1 for $\lambda=0,050$ weighted average spindle or machine efficiency is nearby 99 $\%$ for case $1,2,3,4$, and even case 5 . Also, Table 2 and 3 show that for $\lambda=0,100$ and $\lambda$ $=0,150$ weighted average efficiencies are nearby $98 \%$ and $94 \%$ respectively in long term, that is, after 150 cycles which correspond to 45 h and 107 h respectively.

However, it can be easily seen from these tables that, when the machine uptime reaches 4.11 hours, which is the time of removal of the cops, considerable differences are observed in the weighted average efficiency values depending on the $\lambda$ and doffing performance values. This has important economic consequences on an annual basis.

In Table 4 are shown the weighted average efficiency values and loss of profit obtained by considering $\lambda=0,050,0,100$ and 0,150 values and $100 \%, 95 \%, 90 \%$, $80 \%, 75 \%$ performance degrees. Weighted average efficiency values given in Table 4 have been obtained for 4,11 working time from Table 1, 2, 3 and 4 by interpolation. In the efficiency values obtained in Table 1, 2 and 3 only yarn breaks were taken into account, and other stoppages such as doffing, machine failure, and machine maintenance were not taken into account. However, such stoppages are also taken into account in Table 4. We calculate the machine efficiency considered all type of stoppages time as bellow;
Doffing process time averagely: $10 \mathrm{~min} /$ $4,11 \mathrm{~h} \Rightarrow 0,167 \mathrm{~h}$ for every $4,11 \mathrm{~h}$
Type of yarn chancing time averagely: 20 $\min / 30$ day $\Rightarrow 0,002 \mathrm{~h}$ for every $4,11 \mathrm{~h}$
Periodical machine maintenance time averagely: $8 \mathrm{~h} / 6$ month $\Rightarrow 0,008 \mathrm{~h}$ for every 4,11h

Other all small stoppages time averagely: 5 $\mathrm{min} / 4,11 \mathrm{~h} \Rightarrow 0,084 \mathrm{~h}$ for every $4,11 \mathrm{~h}$ Total stoppages excluding end breaks stoppages averagely $\Rightarrow \mathbf{0 , 2 6 1} \mathbf{h}$ for every 4,11 h

Not that these stoppages values may vary more or less depending on to mill.


Annual production calculation for 50000 spindles and for EW\% efficiency is

$$
\mathrm{G}(\mathrm{~kg} / \mathrm{year})=\frac{0,9 \times 15000(\mathrm{rpm}) \times \mathrm{EW}(\%)}{20 \mathrm{Ne} \times \mathrm{T} "(18,5) \times 1000} \times 24 h \times 300 \text { day } \times 50000 \text { spindles }=1313513514 \mathrm{~kg} \times E W(\%)
$$

## 3. Results

The machine efficiency ultimately affects the production. In the case of stochastic machine stoppages, when an operator is assigned too many spindles like 3000-5000 spindles, the efficiency estimation becomes almost impossible. Although directly weighing the product can be considered as a solution, But this solution is neither accurate nor can answer which parameters like machine, worker and environmental conditions lead to the change production. Therefore, in this paper we elucidated the effect of the manual doffing process on the machine efficiency by using simulation technique.

We showed that the deviation from the one hundred percent doffing performance results significant loss of production and consequently loss of profit. Therefore, businesses should determine their doffing performance by means of a work study after the doffing process and then should estimate their production losses by utilizing the data presented in this study.

High lambda values are generally associated with the quality of yarn, type of yarn, machine setting, and environmental conditions. Our results indicate that high lambda values cause high production losses in the same doffing performance. Thus, businesses first should eliminate the causes affecting their doffing performance
negatively. Then, by performing an economic analysis the firm can decide whether to buy several doffing machines or a ring machine integrated with doffing equipment. This economic analysis can be carried out simply by using an engineering economy formula as shown below.

$$
\mathrm{A}=\mathrm{P} \times \frac{\mathrm{i} \times(1+\mathrm{i})^{\mathrm{n}}}{(1+\mathrm{i})^{\mathrm{n}}-1} \Lambda \Lambda
$$

The equation utilizes the following terms and symbols:
P: value or amount of money at a time designated as the present or time. Also, P is referred to as present worth (PW), present value (PV) and net present value (NPV). Units: Dollars, Euro, etc.

A: series of consecutive, equal, end-ofperiod amounts of money. Also, A is called the annual worth (AW) or annuity. Units: Dollars, Euro, etc. per month, per year, etc.
n : number of interest periods. Also, n is called the economic life. Units: years, months, days, etc.
i: interest rate or rate of return per time period. Units: percent per year, percent per month, percent per day, etc.

Here: Let be
$\mathrm{P}=\$ 130000$
$\mathrm{A}=$ ?
i= $5 \%$
$\mathrm{n}=5$ years
The P value of $\$ 130000$ is price of 10 automatic vertical doffing machines given by a machine seller known as Ali Baba. Two automatic vertical doffing machines are for 10000 ring spindles. In this case, the total annual worth of 10 automatic vertical doffing machines for 50000 ring spindles is estimated by using Formula 4. A $=\$ 30000$ approximately. This A value is indicated in Figures 6 to 8 by red lines. The decision of automation is carried out based on breakeven points shown in these Figures. In this calculation, the salvage and the annually operating and maintenance of the doffing machines costs are considered negligible.

For example; assuming that the assigning number of spindles to an operator N is 3600 , the yarn breaks for 1000 spindlehour is 150 , that is $\lambda$ is 0,150 breaks $/ \mathrm{h}$, and the number of end breaks after doffing process is 190, in this case end breaks rate will be 5,27 \% (190/3600). Since $5,27 \%$ ends breaks rate is more than the ends break rate corresponding to break even breaks point 3,44 \% as indicated in Figure 8. In this case to buy separate automatic vertical doffing machines or paying the price difference between ring machines with or without integrated doffing equipment will be economical because it has lower cost.

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Table 1. The machine efficiency values obtained by considering different doffing performances and only ends breaks stoppages $\mathbf{( N = 3 6 0 0 , ~} \boldsymbol{\lambda}=\mathbf{0 , 0 5 0}, \mathbf{T W}=$ $\mathbf{0 , 0 0 0 0 3 5} \mathrm{h}, \mathrm{TM}=\mathbf{0}, 0016 \mathrm{~h}$ )

|  | Case 1(100 percent performance) |  | Case 2(95 percent performance |  | Case 3(90 percentperformance) |  | Case 4(80 percent performance) |  | Case 5 (75 percent performance) |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $0 \%$ of cops are unproductive |  | $5 \%$ of cops are unproductive |  | $10 \%$ of cops are unproductive |  | $8020 \%$ of cops are unproductive |  | $25 \%$ of cops are unproductive |  |
| cycles <br> Z | Cumula tive operator and machine run times h | Cumula tive machine effici ency EW \% | Cumula tive operator and machine run times h | Cumula tive machine effici ency EW \% | Cumula <br> tive <br> operator <br> and machine <br> run <br> times <br> h | Cumula tive machine effici ency <br> EW \% | Cumula <br> tive <br> operator <br> and machine <br> run <br> times <br> h | Cumula tive machine effici ency EW \% | Cumula <br> tive <br> operator <br> and <br> machine <br> run <br> times <br> h | Cumula tive machine effici ency EW \% |
| 1 | 0,152 | 99,67 | 0,489 | 96,72 | 0,817 | 93,79 | 1,456 | 88,00 | 1,758 | 85,10 |
| 2 | 0,329 | 99,58 | 0,734 | 97,51 | 1,127 | 95,10 | 1,886 | 90,18 | 2,252 | 87,72 |
| 3 | 0,516 | 99,55 | 0,927 | 97,89 | 1,332 | 95,75 | 2,109 | 91,14 | 2,490 | 88,81 |
| 4 | 0,702 | 99,54 | 1,114 | 98,16 | 1,518 | 96,21 | 2,304 | 91,84 | 2,682 | 89,57 |
| 5 | 0,886 | 99,52 | 1,300 | 98,35 | 1,702 | 96,56 | 2,489 | 92,41 | 2,867 | 90,21 |
| 6 | 1,066 | 99,52 | 1,478 | 98,49 | 1,887 | 96,85 | 2,670 | 92,89 | 3,050 | 90,77 |
| 7 | 1,252 | 99,51 | 1,666 | 98,60 | 2,072 | 97,09 | 2,856 | 93,32 | 3,239 | 91,27 |
| 8 | 1,437 | 99,51 | 1,854 | 98,68 | 2,258 | 97,28 | 3,035 | 93,69 | 3,427 | 91,72 |
| 9 | 1,625 | 99,50 | 2,036 | 98,76 | 2,432 | 97,44 | 3,233 | 94,04 | 3,614 | 92,13 |
| 10 | 1,810 | 99,50 | 2,215 | 98,82 | 2,618 | 97,58 | 3,417 | 94,33 | 3,788 | 92,47 |
| 20 | 3,654 | 99,50 | 4,075 | 99,12 | 4,485 | 98,37 | 5,256 | 96,14 | 5,648 | 94,77 |
| 30 | 5,510 | 99,49 | 5,932 | 99,23 | 6,334 | 98,69 | 7,138 | 97,02 | 7,508 | 95,93 |
| 40 | 7,371 | 99,48 | 7,7899 | 99,29 | 8,206 | 98,87 | 8,995 | 97,52 | 9,379 | 96,63 |
| 50 | 9,255 | 99,48 | 9,670 | 99,32 | 10,081 | 98,98 | 10,878 | 97,86 | 11,258 | 97,11 |
| 60 | 11,130 | 99,47 | 11,550 | 99,34 | 11,974 | 99,05 | 12,768 | 98,09 | 13,154 | 97,45 |
| 70 | 13,022 | 99,47 | 13,452 | 99,36 | 13,858 | 99,10 | 14,626 | 98,27 | 14,978 | 97,70 |
| 80 | 14,850 | 99,47 | 15,254 | 99,38 | 15,627 | 99,15 | 16,371 | 98,41 | 16,744 | 97,89 |
| 90 | 16,606 | 99,48 | 16,993 | 99,40 | 17,380 | 99,20 | 18,126 | 98,52 | 18,489 | 98,05 |
| 100 | 18,347 | 99,49 | 18,739 | 99,41 | 19,118 | 99,23 | 19,869 | 98,61 | 20,230 | 98,18 |
| 110 | 20,081 | 99,50 | 20,478 | 99,43 | 20,850 | 99,26 | 21,609 | 98,69 | 21,959 | 98,29 |
| 120 | 21,822 | 99,50 | 22,203 | 99,44 | 22,578 | 99,29 | 23,328 | 98,76 | 23,696 | 98,39 |
| 150 | 26,961 | 99,52 | 27,351 | 99,47 | 27,743 | 99,34 | 28,471 | 98,91 | 28,812 | 98,60 |
|  |  |  |  |  |  |  |  |  |  |  |

Table 2. The machine efficiency values obtained by considering different doffing performances and only ends breaks stoppages ( $\mathbf{N}=\mathbf{3 6 0 0}, \boldsymbol{\lambda}=\mathbf{0 , 1 0 0}, \mathbf{T W}=$ $0,000035 \mathrm{~h}, \mathrm{TM}=\mathbf{0}, 0016 \mathrm{~h})$

| Oper <br> ator cycles <br> Z | $0,000035 \mathrm{~h}, \mathrm{TM}=0,0016 \mathrm{~h}$ ) |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Cumula tive operator and machine run times h | Cumula tive machine effici ency EW \% | Cumula tive operator and machine run times h | Cumula tive machine effici ency EW \% | $\begin{gathered} \text { Case } 1(100 \\ \text { percent } \\ \text { performance }) \end{gathered}$ | Case 2(95 percent performance | $\begin{gathered} \text { Case } 3(90 \\ \text { percent } \\ \text { performance } \end{gathered}$ | $\begin{gathered} \text { Case } 4(80 \\ \text { percent } \\ \text { performance) } \end{gathered}$ | $\begin{gathered} \text { Case } 5(75 \\ \text { percent } \\ \text { performance) } \end{gathered}$ | Cumula tive machine effici ency EW \% |
| 1 | 0,179 | 99,32 | 0,568 | 95,68 | \% of cops are unproductive | \% of cops are unproductive | $\begin{aligned} & 10 \% \text { of cops } \\ & \text { are } \\ & \text { unproductive } \end{aligned}$ | $20 \%$ of cops e unproductive | $5 \%$ of cops are unproductive | 88,22 |
| 2 | 0,447 | 98,62 | 1,033 | 96,32 | 1,590 | 93,60 | 2,609 | 88,28 | 3,066 | 85,67 |
| 3 | 0,760 | 98,68 | 1,420 | 96,69 | 2,056 | 94,40 | 3,205 | 89,75 | 3,719 | 87,42 |
| 4 | 1,088 | 98,54 | 1,794 | 96,95 | 2,446 | 94,93 | 3,654 | 90,68 | 4,192 | 88,51 |
| 5 | 1,409 | 98,47 | 2,136 | 97,13 | 2,808 | 95,32 | 4,040 | 91,35 | 4,611 | 89,34 |
| 6 | 1,754 | 98,40 | 2,481 | 97,25 | 3,167 | 95,62 | 4,404 | 91,89 | 4,977 | 89,96 |
| 7 | 2,090 | 98,35 | 2,826 | 97,36 | 3,509 | 95,86 | 4,768 | 92,35 | 5,343 | 90,51 |
| 8 | 2,435 | 98,31 | 3,174 | 97,43 | 3,867 | 96,05 | 5,130 | 92,75 | 5,696 | 90,97 |
| 9 | 2,771 | 98,29 | 3,524 | 97,49 | 4,224 | 96,22 | 5,486 | 93,09 | 6,070 | 91,39 |
| 10 | 3,127 | 98,26 | 3,878 | 97,54 | 4,582 | 96,36 | 5,849 | 93,38 | 6,428 | 91,76 |
| 20 | 6,698 | 98,10 | 7,430 | 97,76 | 8,021 | 97,09 | 9,053 | 95,10 | 9,530 | 93,91 |
| 30 | 9,670 | 98,22 | 10,273 | 98,00 | 10,828 | 97,50 | 11,828 | 95,94 | 12,318 | 94,98 |
| 40 | 12,411 | 98,33 | 12,982 | 98,15 | 13,538 | 97,75 | 14,518 | 96,46 | 14,987 | 95,65 |
| 50 | 15,089 | 98,40 | 15,726 | 98,25 | 16,305 | 97,90 | 17,362 | 96,82 | 17,862 | 96,13 |
| 60 | 17,992 | 98,42 | 18,613 | 98,30 | 19,211 | 97,99 | 20,282 | 97,07 | 20,773 | 96,46 |
| 70 | 20,894 | 98,44 | 21,551 | 98,33 | 22,140 | 98,07 | 23,220 | 97,25 | 23,719 | 96,72 |
| 80 | 23,840 | 98,45 | 24,485 | 98,35 | 25,094 | 98,12 | 26,163 | 97,40 | 26,664 | 96,92 |
| 90 | 26,793 | 98,46 | 27,433 | 98,37 | 28,018 | 98,17 | 29,103 | 97,51 | 29,588 | 97,08 |
| 100 | 29,720 | 98,47 | 30,362 | 98,39 | 30,954 | 98,20 | 32,014 | 97,60 | 32,528 | 97,21 |
| 110 | 32,666 | 98,47 | 33,311 | 98,40 | 33,884 | 9823 | 34,958 | 97,68 | 35,470 | 97,32 |
| 120 | 35,603 | 98,48 | 36,251 | 98,41 | 36,835 | 98,26 | 37,912 | 97,75 | 38,400 | 97,42 |
| 150 | 44,412 | 98,50 | 45,038 | 98,45 | 45,623 | 98,32 | 46,695 | 97,91 | 47,180 | 97,63 |

Table 3. The machine efficiency values obtained by considering different doffing performances and only ends breaks stoppages ( $\mathrm{N}=\mathbf{3 6 0 0}, \lambda=\mathbf{0 , 1 5 0}, \mathbf{T W}=\mathbf{0}$, $000035 \mathrm{~h}, \mathrm{TM}=0,0016 \mathrm{~h}$ )

|  | Case 1(100 percent performance) |  | Case 2(95 percent performance |  | Case 3(90 percent performance) |  | Case 4(80 percent performance) |  | Case 5(75 percent performance) |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Operator cycles <br> Z | $0 \%$ of cops are unproductive |  | $5 \%$ of cops are unproductive |  | $10 \%$ of cops are unproductive |  | $20 \%$ of cops are unproductive |  | $25 \%$ of cops are unproductive |  |
|  | Cumula tive operator and machine run times h | Cumula tive machine effici ency EW \% | Cumula tive operator and machine run times h | Cumula tive machine effici ency EW \% | Cumula tive operator and machine run times h | Cumula tive machine effici ency EW \% |  | Cumula tive machine effici ency EW \% | Cumula tive operator and machine run times h | Cumula tive machine effici ency EW \% |
| 1 | 0,214 | 98,79 | 0,670 | 94,28 | 1,086 | 90,04 | 1,864 | 82,28 | 2,211 | 78,67 |
| 2 | 0,634 | 97,62 | 1,494 | 93,84 | 2,254 | 90,28 | 3,545 | 83,94 | 4,126 | 81,10 |
| 3 | 1,221 | 96,65 | 2,421 | 93,45 | 3,442 | 90,40 | 5,071 | 85,03 | 5,735 | 82,77 |
| 4 | 1,958 | 95,79 | 3,406 | 93,07 | 4,622 | 90,40 | 6,320 | 86,08 | 6,942 | 84,13 |
| 5 | 2,811 | 95,04 | 4,486 | 92,68 | 5,731 | 90,60 | 7,310 | 86,96 | 7,912 | 85,17 |
| 6 | 3,772 | 94,38 | 5,535 | 92,52 | 6,649 | 90,95 | 8,148 | 87,67 | 8,727 | 86,00 |
| 7 | 5,806 | 93,78 | 6,432 | 92,64 | 7,444 | 91,30 | 8,871 | 88,24 | 9,448 | 86,67 |
| 8 | 6,616 | 93,59 | 7,213 | 92,82 | 8,152 | 91,61 | 9,531 | 88,,73 | 10,102 | 87,23 |
| 9 | 7,366 | 93,63 | 7,910 | 93,01 | 8,817 | 91,89 | 10,182 | 89,16 | 10,788 | 87,73 |
| 10 | 8,044 | 93,74 | 8,562 | 93,20 | 9,426 | 92,14 | 10,815 | 89,52 | 11,463 | 88,16 |
| 20 | 13,813 | 94,50 | 15,107 | 94,08 | 16,130 | 93,39 | 17,770 | 91,64 | 18,458 | 90,70 |
| 30 | 20,970 | 94,60 | 22,274 | 94,31 | 23,306 | 93,82 | 24,921 | 92,54 | 26,615 | 91,85 |
| 40 | 28,136 | 94,65 | 29,408 | 94,43 | 30,464 | 94,04 | 32,099 | 93,04 | 32,797 | 92,50 |
| 50 | 35,294 | 94,68 | 36,602 | 94,50 | 37,636 | 94,18 | 39,263 | 93,36 | 39,953 | 92,91 |
| 60 | 42,491 | 94,69 | 43,794 | 94,54 | 44,832 | 94,27 | 46,462 | 93,56 | 47,160 | 93,18 |
| 70 | 49,679 | 94,69 | 50,988 | 94,55 | 52,025 | 94,32 | 53,657 | 93,71 | 54,358 | 93,38 |
| 80 | 56,870 | 94,68 | 58,182 | 94,57 | 59,224 | 94,37 | 60,856 | 93,83 | 61,550 | 93,53 |
| 90 | 64,066 | 94,68 | 65,372 | 94,58 | 66,423 | 94,67 | 68,049 | 93,92 | 68,748 | 93,65 |
| 100 | 71,262 | 94,68 | 72,574 | 94,59 | 73,614 | 94,43 | 75,245 | 93,99 | 75,947 | 93,75 |
| 110 | 78,462 | 94,68 | 79,766 | 94,60 | 80,814 | 94,45 | 82,449 | 94,05 | 83,150 | 93,83 |
| 120 | 85,658 | 94,68 | 86,963 | 94,61 | 88,011 | 94,47 | 89,634 | 94,10 | 90,336 | 93,90 |
| 150 | 107,214 | 94,69 | 108,548 | 96,62 | 109,599 | 94,51 | 111,226 | 94,22 | 111,924 | 94,05 |


| Doffing performance (percent of productive | $\lambda=0,050$ |  |  |  |  | $\lambda=0,100$ |  |  |  |  | $\lambda=0,150$ |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| cops <br> after <br> replacing <br> empty tubes) <br> \% | Only end break stoppages considered \% | All <br> stoppages considered $\%$ | Efficie ncy differen ces $\%$ | Loss of production annually $\mathrm{Kg}$ | Loss of profit annually \$ | Only end break stoppages considered $\%$ | All <br> stoppages considered $\%$ | Efficie ncy differen ces \% | Loss of productio annually $\mathrm{Kg}$ | Loss of profit annually \$ | Only end break stoppages considered \% | All <br> stoppage considere <br> \% | Efficie ncy differen ces \% | Loss of production annually $\mathrm{Kg}$ | Loss of profit annually \$ |
| 100 | 99,50 | 93,53 | 0 | 0 | 0 | 98,22 | 92,33 | 0 | 0 | 0 | 94,28 | 88,62 | 0 | 0 | 0 |
| 95 | 99,12 | 93,17 | 0,36 | 47286 | 10875 | 97,56 | 91,71 | 0,62 | 81437 | 18730 | 92,82 | 87,25 | 1,37 | 179951 | 41388 |
| 90 | 98,21 | 92,31 | 1,22 | 160248 | 36857 | 96,17 | 90,40 | 1,93 | 253508 | 540684 | 90,40 | 84,97 | 3,65 | 479432 | 110269 |
| 80 | 95,01 | 89,49 | 4,04 | 530659 | 122051 | 91,46 | 86,44 | 5,89 | 773659 | 177941 | 83,59 | 78,57 | 10,05 | 1313513 | 302107 |
| 75 | 92,87 | 87,29 | 6,24 | 819632 | 188515 | 88,32 | 83,02 | 9,31 | 1222881 | 281262 | 81,07 | 76,20 | 12,42 | 1631383 | 375218 |

Obtaining of the numbers shown in Table 4; T
For example; for $\lambda=0,050$
Efficiency values: $99,50 \%, 99,12 \%, 98,21 \%, 95,01 \%, 92,87 \%$ were taken from Table 1
Efficiency values: $93,53 \%, 93,17 \%, 92,31 \%, 89,491 \%, 87,297 \%$
were obtained by multiplying the value of $0,94=4,11 \mathrm{~h} /(4,11 \mathrm{~h}+$ 0,261 )
For example; 93, $53 \%=99,50 \% \times 0,94$
Efficiency differences: $0 \%, 0,33 \%, 1,22 \%, 4,04 \%, 6,24 \%$ values were obtained by subtracting the values of $\% 93,17, \% 92,31, \%$ 89,49, \% 87,29 from 93,53

Loss of production annualy values: They were calculated by using the formula shown bellow which was mentionned before.
$\mathrm{G}(\mathrm{kg} /$ year $)=13135135,14 \mathrm{~kg} \times \mathrm{EW}(\%)$
$\mathrm{G}(\mathrm{kg} /$ year $)=13135135,14 \mathrm{~kg} \times 0,0036=47286,48 \mathrm{~kg} \approx 47286 \mathrm{~kg}$
Loss of profit annualy: By assuming the loss of profit for per kg of 20 Ne cotton yarn is $0,23 \$$, the total annual looss of profit is found as;
$47286 \mathrm{~kg} \times 0,23 \$ / \mathrm{kg}=10875 \$$.


Figure 6. Breaking point for buying automatic doffing machines or for additional investment to the ring machine with doffing equipment $(\lambda=0,050)$


Figure 7. Breaking point for buying automatic doffing machines or for additional investment to the ring machine with doffing equipment $(\lambda=0,100)$


Figure 8. Breaking point for buying automatic doffing machines or for additional investment to the ring machine with doffing equipment $(\lambda=0,150)$

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